COURSE SYLLABUS AND COURSE REQUIREMENTS
ACADEMIC YEAR 2023/24 SEMESTER SPRING

| Course title |  |
| ---: | :--- |
| Subject Code | Introduction to Computer Science |
|  | IVBO14ANMI, IVB365ANMI |
| Hours/Week: le/pr/lab | $2 / 0 / 0$ |
| Credits | 3 |
| Degree Programme | Computer Science Engineer |
| Study Mode | Full time |
| Requirements | exam |
| Teaching Period | spring |
| Prerequisites | No prerequisities |
| Department(s) | Department of Engineering Mathematics |
| Course Director | Ákos PILGERMÁJER |
| Teaching Staff | Ákos PILGERMÁJER |

## COURSE DESCRIPTION

Concept of numerals, Axioms of Peano, positional numeral systems, arithmetic on positional numeral systems, division, Euclidean algorithm, greatest common divisor (GCD), least common multiple (LCM), extended Euclidean algorithm, number of divisors, prime numbers, irreducible numbers, fundamental theorem of arithmetic, congruencies modulo $n$, modular arithmetic, congruence or residue classes, complete and reduced residue classes, Euler-Fermat theorem, Euler's totient function, linear congruence systems, Chinese remainder theorem, cryptography, RSA encryption

## Syllabus

## 1. goals and objectives

The main goal of this course is to making students capable of building and handling RSA cryptosystems. To this end students must understand basic and specific problems and theorems of number theory and be able to apply them to cryptography.

## 2. COURSE CONTENT

## TOPICS

| LECTURE | 1.Elements of Number Theory <br>  <br> 2. Elements of Cryptography |
| :--- | ---: |
| PRACTICE <br> LABORATORY <br> PRACTICE | Not available <br> Not available |

DETAILED SYLLABUS AND COURSE SCHEDULE

| week | Topic | Compulsory reading | Required tasks | Completion date, due date |
| :---: | :---: | :---: | :---: | :---: |
| 1. | Introductory example of cryptography | [1] Lesson 1 | HW 1 | Next Friday |
| 2. | Divisibility | [1] Lesson 2 | HW 2 | Next Friday |
| 3. | Numeral systems, algorithms | [1] Lesson 3 | HW 3 | Next Friday |

4. 

| Mathematical induction | [1] Lesson 4 | HW 4 | Next Friday |
| :--- | :--- | :--- | :--- |
| Representation of numbers | [1] Lesson 5 | HW 5 | Next Friday |
| Euclidean algorithm | [1] Lesson 6 | HW 6 | End of week |
| First midterm test (MTT1) |  | MTT 1 | In class |
| Recurring algorithms | [1] Lesson 7 | HW 7 | Next Friday |
| Spring break | [1] Lesson 8 | HW 8 |  |
| Diophantine equations | [1] Lesson 9 | HW 9 | Next Friday |
| Congruencies | [1] Lesson 10 | HW 10 | Next Friday |
| Chinese remainder theorem | [1] Lesson 11 | HW 11 | Next Friday |
| RSA revisited |  | MTT2 | End of week |
| Second midterm test MTT2 |  | In class |  |

## 3. ASSESSMENT AND EVALUATION

## ATTENDANCE

## Method for monitoring attendance

Attendance sheet/ online test/ other valid means of checking attendance. Making up any absence is not possible according to the current state of science. No need for verification of absence, but keep it under the regulation limit ( $30 \%$ of total contact hours (lectures and laboratory classes)).

## ASSESSMENT

## Course-unit with final examination

## Mid-term assessments, performance evaluation and their weighting as a pre-requisite for taking the final exam

|  | Type |  | Weighting as a <br> proportion of the <br> pre-requisite for <br> taking the exam |
| :---: | :---: | :---: | :---: |
| 1. | MidTerm Test 1 (MTT1) | points | $40 \%$ |
| 2. | MidTerm Test 2 (MTT2) | points | $40 \%$ |
| 3. | HomeWorks (HWs) | points | $20 \%$ |
| 4. | Evaluation of class work | points | $+10 \%$ |

## Requirements for the end-of-semester signature

- Attendance prescribed by Code of Studies and Examinations (Art. 45. (2)) - no make ups are possible
- Midterm tests: minimum $40 \%$ each - make up for at most one test is possible, see below at retakes
- Homeworks turned in until deadline (no delays) with non zero points - during availability continuous make ups are possible
- At least $40 \%$ of overall performance calculated from the table above.


## Re-takes for the end-of-semester signature

In case the student missed at most one MTT or any of the MTTs are unsuccessful, in the first week of exam period, planned in time of class, can make it up, or retake it, them once.

Type of examination (written, oral): written in Möbius
The exam is successful if the result is minimum $40 \%$.

## Calculation of the final grade

- Offered grade (without an exam): in case the mid-term performance is at least $55 \%$ (in Neptun student must accept or deny it!),
- Final grade (with an exam): in case the student cannot earn the offered grade or does not accept it, then must take an exam. In this case the mid-term performance accounts for $\mathbf{5 0 \%}$, the performance at the exam accounts for $\mathbf{5 0} \%$ in the calculation of the final grade.


## Calculation of the final grade based on aggregate performance in percentage.

| Course grade | Performance in \% |
| ---: | :--- |
| excellent (5) | $85 \% \ldots$ |
| good (4) | $70 \% \ldots 85 \%$ |
| satisfactory (3) | $55 \% \ldots 70 \%$ |
| pass (2) | $40 \% \ldots 55 \%$ |
| fail (1) | below $40 \%$ |

The lower limit given at each grade belongs to that grade.

## 4. Specified literature

## COMPULSORY READING AND AVAILABILITY

[M] lessons in Möbius system
[LLM] Eric Lehman, Frank Thomson Leigthon, Albert R. Meyer, 6.042J / 18.062J Mathematics for Computer Science (Spring 2015), Open Courseware MIT , Privacy and Terms of Use

## RECOMMENDED LITERATURE AND AVAILABILITY

[ET] Moodle and Teams course materials

